

# Internal Combustion Engines (ICE's)

→ These are the standard 4-stroke gasoline fueled engines in most of your cars. The cycle is named the Otto Cycle after the German inventor Nicolaus Otto who patented the cycle in late 1800s.

The Otto Cycle is very similar to the Brayton Cycle

- 1 → 2) Compression Typically isentropic
  - 2 → 3) Combustion
  - 3 → 4) Expansion
  - 4 → 0) Heat Rejection
  - 0 → 1) Recharge/Intake
- ★ Show figure.

the difference between the Brayton & Otto is that the Otto is not continuous. The Otto cycle occurs in a piston → cylinder device

→ The Diesel cycle is very similar to the Otto cycle, except that the combustion & expansion processes are controlled through the use of fuel injection during combustion. The heat transfer occurs at constant pressure, not volume like the Otto.

## ICE Definitions

Compression Ratio:  $CR = \frac{V_{displacement} + V_{clear}}{V_{disp}}$

distance piston travels

Displacement Volume = Volume Swept by Cylinder =  $V_{disp} = \pi \frac{d_{cyl}^2}{4} L_{stroke}$

$V_{SDC} = V_{clear} + V_{disp}$

Clearance Volume = Volume in Cylinder @ Top Dead Center =  $V_{clear} = \frac{V_{disp}}{(CR-1)}$

Mean Effective Pressure = MEP =  $\frac{W_{net}}{(v_1 - v_2)} \Rightarrow W_{net} = P_{const} (v_1 - v_2)$

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## Example: Comparison of Otto & Diesel Cycles

a) Calculate  $\epsilon$ , plot the thermal efficiency  $\epsilon$  & mean effective pressure for an air standard Otto cycle for compression ratios between 5 & 35 with a maximum cycle temperature of 2500K. Assume that the state of the air before compression is 300K, 1bar.

Open EES & create subprogram

Subprogram Otto (CR, eta\_otto, mep\_otto) "allows program to be called later"

→ Define State 1  $T[1] = 300 [K]$

$$P[1] = 1 [\text{bar}] * \text{convert}(\text{bar}, \text{Pa})$$

$$V[1] = \text{volume}(\text{Air}, T=T[1], P=P[1])$$

$$u[1] = \text{intEnergy}(\text{Air}, T=T[1])$$

$$s[1] = \text{entropy}(\text{Air}, T=T[1], P=P[1])$$

→ Define State 2  $s[2] = s[1]$  ← isentropic compression, what other property can we get?

$$V[2] = V[1] / CR \leftarrow \text{constant mass compression}$$

$$T[2] = \text{temperature}(\text{Air}, s=s[2], v=V[2])$$

$$P[2] = \text{pressure}(\text{Air}, s=s[2], v=V[2])$$

$$u[2] = \text{intenergy}(\text{Air}, s=s[2], v=V[2])$$

$$w_{12} = u[2] - u[1] \rightarrow \text{work per unit mass compression (into system)}$$

→ Define State 3  $T[3] = 2500 [K]$

$$V[3] = V[2] \leftarrow \text{constant volume heat addition}$$

$$u[3] = \text{intenergy}(\text{Air}, T=T[3])$$

$$s[3] = \text{entropy}(\text{Air}, T=T[3], v=V[3])$$

$$P[3] = \text{pressure}(\text{Air}, T=T[3], v=V[3])$$

$$w_{23} = 0 \leftarrow \delta v = 0, q_{23} = u[3] - u[2]$$

Define state 4  $v[4] = v[1]$  "back @ BDC"

$s[4] = s[3]$  "isentropic expansion"

$T[4] = \text{temperature}(\text{Air}, s = s[4], v = v[4])$

$P[4] = \text{pressure}(\text{Air}, s = s[4], v = v[4])$

$u[4] = \text{intenergy}(\text{Air}, s = s[4], v = v[4])$

$W_{-34} = u[3] - u[4]$  "Work out of system per unit mass"

For Cycle  $W_{\text{-net-otto}} = (W_{-34} + W_{-23} - W_{-12})$

$\eta_{\text{-otto}} = W_{\text{-net-otto}} / q_{-23}$

$mep_{\text{-otto}} = W_{\text{-net-otto}} / (v[1] - v[2])$

end

Now test it:

$CR = 15$

Call Otto (CR;  $\eta_{\text{-otto}}$ ,  $mep_{\text{-otto}}$ )

Works  
 $\eta_{\text{otto}} = 0.596$   
 $MEP_{\text{otto}} = 1.142 \text{ MPa}$

B) Calculate & plot the thermal efficiency & MEP for an air standard diesel cycle for compression ratios between 6 & 35 with a maximum cycle temperature of 2,500K. Assume air coming in is at 300K, 1bar.

Subprogram Diesel (CR;  $\eta_{\text{-diesel}}$ ,  $mep_{\text{-diesel}}$ )

Copy & paste up to state 3:

→ Define State 3  $T[3] = 2500 [K]$

$P[3] = P[2]$

$v[3] = \text{volume (Air, } T=T[3], P=P[3])$

$u[3] = \text{intenergy (Air, } T=T[3])$

$s[3] = \text{entropy (Air, } T=T[3], v=v[3])$   
 $q_{-23} - w_{-23} = u[3] - u[2]$  "energy balance 2→3"

$w_{-23} = P[3] * (v[3] - v[2])$

→ Define State 4  $v[4] = v[1]$

$s[4] = s[3]$

$T[4] = \text{temperature (Air, } s=s[4], v=v[4])$

$P[4] = \text{pressure (Air, } s=s[4], v=v[4])$

$u[4] = \text{intenergy (Air, } s=s[4], v=v[4])$

$w_{-34} = u[3] - u[4]$  "work out of cycle"

→ For Cycle  $w_{\text{net-Diesel}} = w_{-34} + w_{-23} - w_{12}$

$\eta_{\text{diesel}} = w_{\text{net-diesel}} / q_{23}$

$mep_{\text{diesel}} = w_{\text{net-diesel}} / (v[1] - v[2])$

end

test Call Diesel(CR:  $\eta_{\text{diesel}}$ ,  $mep_{\text{diesel}}$ )  $\eta_D = 0.47$

→ Make Table, vary CR from 5 → 35, Plot  $\eta$  vs. CR  $MEP = 1.27 MPa$

Conclusions: 1) Efficiency of Otto is higher @ all CR's

2) MEP (and <sup>thus</sup> work per cycle) of Diesel is higher @ CR > 11, 3) Both MEP have <sup>maximum</sup> <sub>Otto 15</sub> <sub>Diesel 28</sub>

4) CR's in real engines are not this high due to irreversibilities, lots of them  
 But the CR for Diesel is usually 2x that of 4 stroke. Show EE Animations