## Statistics:

1) commonly means a collection of numerical facts or data.
2) a science of collecting, presenting, analyzing, and interpreting numerical data.

The word statistics originally meant the collection of facts useful to the person involved with the affairs of state.

Why do we learn statistics?

1) to have a better feel for statistics: what it is; how and when to apply statistical techniques to decision making situations; how to interpret the results.
2) to develop analytical skills and critical thinking.

The field of statistics

1) descriptive statistics: organizing and summarizing numerical data in order to describe the various features of the data (Chaps. 2 and 3).
2) inferential statistics: procedures and methods that can be used to make inferences (or generalization), predictions, and decisions about the population using the information contained in a sample (Chaps. 8 and on).

## Probability:

1) commonly means a chance.
2) a mathematical means of studying uncertainty, and used as a tool for inferential statistics (Chaps. 4, 5, 6, and 7).

Variable: a characteristic of items or individuals.
Population: a collection of all the elements under study (about which we are trying to draw a conclusion) or a collection of all the measurements under study.

Sample: a part of the population.
Parameter: a numerical descriptive measure that represents a characteristic of the population.
Statistic: a numerical descriptive measure from a sample.
"Statistics is a science of getting cheaper but good-quality information, although not perfect, about the population, especially about the parameter, instead of getting perfect information which tends to be infeasible and very expensive."
"It is better to be roughly right than to be precisely wrong." Maynard Keynes
Census: evaluation of each and every unit (element) in the population under study; the census data contain complete (and perfect) information about the population.

Difficulties of collecting the census data:

1) expensive (especially when the population is large),
2) time consuming,
3) could be imperfect as they are more prone to human errors and due to lies,
4) may not be feasible (especially when measurement requires destruction of unit).

A "representative" sample contains the relevant characteristic of the population, even though the information contained in the sample is imperfect.

Simple random sample: a sample drawn such a way that each element of the population has the equal chance of being selected. Three ways of taking a simple random sample: 1) draw tickets out of a hat; 2) use random number tables (an example is on Table E. 1 on pp. 737-738 and discussion in Section 1.3 LearMore); 3) use MS Excel: Formulas > Insert Function ( $\boldsymbol{f}_{x}$ ) >Math

## \& Trig >RANDBETWEEN.

Hard Copy (HC) Homework: Visit the companion Web-site:
http://media.pearsoncmg.com/ph/esm/esm berenson bbs_14/bbs 14 e student download.html as described in Appendix C. 1 on p. 726 and down load the Excel data file "Retirement Funds." Then, randomly select 20 retirement funds and list their fund numbers along with Type and 1 Year Return \% by

1. using the random numbers in Table E. 1, and
2. using RANDBETWEEN function in Excel.

Next, discuss why your results baed on these two different methods are different or the same. (Since the names are between rows 2 and 479, it is convenient to draw numbers between 2 and 471, inclusive.)

Data are the different values associated with variables, and can be thought of the information needed to help us make informed decision.
Sources of data:
Primary: the data collector using the data for analysis
Secondary: the person analyzing the data is not the data collector
Types of data:
qualitative: nonnumeric and categorical
quantitative: numeric
discrete: assumes only specific points on a scale (countable)
continuous: assumes all values within an interval (measurable)
Levels of measurements:
The nominal scale applies to data that are divided into different categories, and these categories are used for identification purposes, e.g., female=0, male=1; ISP: Verizon=1, AT\&T=2, Sprint=3, T-Mobile=4, Other=5.
The ordinal scale applies to data that are divided into different categories that can be ranked, e.g., bad=0, fair $=1$, good $=2$; bond ratings: AAA, AA, A, BBB, BB; Student grades: A, B, C, D, F, etc.
The interval scale applies to data that can be ranked and for which the difference between two values can be calculated and interpreted and do not involve a true zero point, e.g., temperature, calendar time, SAT score.
The ratio scale applies to data that can be ranked and for which the ratio between two values can be calculated and interpreted, e.g., income, weight.

MyStatLab (MSL) Homework: 1.1, 1.3, 1.5, 1.6, 1.7, 1.8 on p. 19 (These are labeled in MyStatLab as $1.1 .1,1.1 .3,1.1 .5,1.1 .6,1.1 .7,1.1 .8$. But, all you need to do is to do those in MyStatLab)

Cross sectional data are collected on different elements at the same point in time or for the same period of time.
Time series data are collected on the same element for the same variable at different points in time or different periods of time. Usually line graphs or bar graphs are used.

